A Second Look:

constants, data types, variables, expressions,....

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More in-depth discussion

Now that we have solved our second programming problem, let us revisit a bunch of topics:

- Data types
- Variables
- Expressions
- Key words
- Built-in functions
- Modules
- Control-flow statements

Data types

We have seen four data types thus far:

o int: -90, 8987

o float: 9.98, -3.54

o str: "hello", "a"

o bool: True, False

Numeric data types

- Python supports four numeric data types:
 - o plain integers,
 - o long integers,
 - o floating point numbers, and
 - o complex numbers.
- Plain integers, i.e., objects of type int, are those that fit in 32 bits or 64 bits (depending on the operating system).

Bits and bytes

- A *bit* (short for binary digit) is the smallest unit of storage in a computer.
- A byte is 8 bits
- Depending on the operating system on your machine, an int type in Python may be stored:
 - o in 4 bytes (or 32 bits) or
 - o in 8 bytes (or 64 bits).

Exploring the limits of the int type

- The sys module contains information about the largest possible integer on your machine.
- Try: import sys sys.maxint
- On my machine this showed me 9223372036854775807
- Why? To find out, let us look at the binary equivalent of this number. Try:
 x = sys.maxint
 bin(x)
- Note: bin(x) is a built-in Python function that returns the binary equivalent of a given integer. This is similar to the first Python program we wrote.

Exploring the limits of the int type

- On my machine the binary equivalent of sys.maxint is:
- The "Ob" at the beginning of the string is Python's way of indicating that this is a binary string.
- The "Ob" is followed by 63 1's. This tells me that my machine is using 8 bytes (64 bits) to store objects of type int.
- Thus the largest possible int object is

$$2^{0} + 2^{1} + 2^{2} + \dots + 2^{62} = 2^{63} - 1 = 9223372036854775807$$

Beyond the range of int

- The range of values that a variable of type int can take is from -(sys.maxint + 1) to sys.maxint.
- The slight asymmetry between the lower limit and the upper limit is due to the way negative numbers are represented in binary in computers.
- What would happen if you tried?

```
x = sys.maxint
x = x + 1
```

- In many programming languages this would cause x to take on weird values and this situation is called an *integer overflow*.
- But, Python has a very nice way of handling this situation!

The long type

- Python provides a type called long that can be used to represent integers that have arbitrarily large magnitude.
- If you tried:

```
x = sys.maxint
x = x + 1
```

the type of the variable x would automatically change from int to long, as soon its value exceeded the int upper limit.

 The programmer would not notice any difference because this type change would just happen behind the scenes.

A few words on long type

 A long constant can be explicitly specified by appending an L at the end of the integer. Try

```
x = 875L
type(x)
```

 Operations can be performed on a mix of long and int objects; the type of the answer will be the "larger" type, i.e., long. Try:

```
x = 100 + 200L
y = long(10) + 1000
```

The float type

- Numbers with decimal points are easily represented in binary:
 - \circ 0.56 (in decimal) = 5/10 + 6/100
 - \circ 0.1011 (in binary) = $\frac{1}{2} + \frac{0}{4} + \frac{1}{8} + \frac{1}{16}$
- The i^{th} bit after the decimal point has place value $1/2^{i}$.
- **Example:** $0.1101 = \frac{1}{2} + \frac{1}{4} + \frac{1}{16} = \frac{13}{16} = 0.8125$
- However, not all real numbers (even rational numbers) can be represented *exactly* by finite sums of these fractions.

Be wary of floating point errors

Try

- 0.1+0.2
- Adding 0.1 ten times
- o 0.1+0.2-0.3 == 0.0
- o sum = 0.1
 while sum != 1:
 sum = sum + 0.1
- In general, never test for *equality* of floating point numbers; test for *closeness*.
- This is a major issue in graphics. Geometric primitives such as: *are these three points on a line?* need to be implemented carefully.

Range of float

- Try
- import sys
 sys.float_info
- You will get lots of information on floating point numbers on your system.
 - largest floating point number
 - o maximum representable power of 10
 - o smallest positive number that can be represented
 - maximum number of digits after decimal point that might be correctly represented.
- To get the maximum floating point number use sys. float_info.max

Sequence Types

- Our discussion has completely ignored a very important class of data types in Python called *sequence types*.
- There are seven sequence types in Python: *strings*, *Unicode strings*, *lists*, *tuples*, *bytearrays*, *buffers*, and *xrange* objects.
- Later we will study study strings, lists, and tuples in more detail.
- There are many powerful built-in operations on sequence types provided by Python.
- Stay tuned for details!